

# Establishing a Group Key Using One-Way Accumulators

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May 11, 2017

# About Myself

- ▶ BSc in Information Technology, Mekelle Institute of Technolgy, Ethiopia.
- ▶ MSc in Computer Science, University of Trento, Italy.
- ▶ Now PhD candidate at Mid Sweden University, Sweden.

# Internet of Things

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- ▶ Internet of Things: Interconnection of users, computing systems, and everyday objects.
- ▶ Main research challenges:
  - ▶ Scaling and Naming
  - ▶ Interoperability (openness)
  - ▶ Big Data Analytics
  - ▶ Energy
  - ▶ **Security and Privacy**

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# Information Security in Internet of Things

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  1. Confidentiality
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- ▶ They all require a **Cryptographic Key**.
- ▶ Key sharing is usually a challenge. (And specially among a group)

# Approaches Today

1. Key sharing schemes based on Symmetric Key Crypto
  - ▶ Each device shares a key with every other device (Secure but does not scale well)
  - ▶ Single key shared among all devices. (very vulnerable)
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# Approaches Today

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  - ▶ Key sharing approaches based on observed environment behavior (Limited key size)
2. Key sharing schemes based on Public Key Crypto
  - ▶ Computationally Expensive (specially for IoT devices)
  - ▶ Need a "Trust Anchor" to resolve public keys
  - ▶ not suitable for IoT

# Research Question

1. How to design distributed key establishment (sharing) schemes ?
2. Schemes where all devices involved do a proportional amount of work in generating the shared key?
3. How about group keys?

# Establishing a Group Key Using One Way Accumulators

- ▶ (Objective:) Design a scheme that enables devices to form a "secure multicast" group.

# Why Group Communication in IoT

- ▶ Multicast Applications are very common.
- ▶ Example use case:
  1. Smart Home Application : Control of light bulbs
  2. e-health: collection and aggregation of patient data

# Establishing a Group Key Using One Way Accumulators

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# Basic Assumptions

1. Network consists of  $n$  devices ( $d_1, d_2, d_3, \dots, d_n$ ) and a "trusted" Gateway (GW).
2. Each device has private/public pairs.
3. A device can request the GW to get a list of the devices in the network.
4. The network is relatively stable (low group join and leave rates)

# Leveraging One Way Accumulators

- ▶ Establish a scheme that enables devices to form a "secure multicast" group.
- ▶ We leverage the concept of one-way accumulators.
- ▶ One-Way Accumulator:

A function  $h : \mathbb{X} \times \mathbb{Y} \rightarrow \mathbb{X}$  such that:

1. It is "hard" to invert
2.  $h(h(x, y_1), y_2) = h(h(x, y_2), y_1)$  (Quasi-Commutativity)
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  3. Hard to find a collisions.
- ▶ (Example): Modular Exponentiation since  $exp(exp(x, y_1), y_2) = exp(exp(x, y_2), y_1)$



# The proposed Scheme

- ▶ Assume  $d_1$  initiates the group creation process (Otherwise, it can do it through the GW).
- ▶ "Interested devices" reply "join". (signed with their private keys)
- ▶ Assume devices  $d_2$ ,  $d_3$  and  $d_4$  reply "join".
- ▶ Then,  $d_1$  does the following sequence of steps.
  1. compute  $z = h(h(h(d_1, d_2), d_3), d_4)$

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  3. pick a random  $k \in \mathbb{K}$  (This will be the session group key)
  4. finally, to each device send  $k$ ,  $z$ , and  $z_j$  encrypted with their respective public keys.

## Continued ...

- ▶ any device  $d_j$  in the group can send a multicast message by encrypting the message with  $k$ .
- ▶ To prove its membership to the group it must append to the message the tuple  $(d_j, z_j)$ .
- ▶ Others can verify its membership by computing  $h(z_j, d_j)$  and comparing it to  $z$ .

- ▶ (Threat Model): what can an attacker do?
  1. (Passive): Simply guess the key. Will be able to passively read messages but can only guess the key with probability  $\frac{1}{2^n}$ , where  $n$  is the key size. (We assume this value to be negligible)

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  3. Forward Secrecy ?
  4. How about group add and leave operations ?

**Thank You!**